

**Work independently. Do not look at others' exams.  
Do not allow your exam responses to be shared.**

1. (45 points) For the following short answer questions, circle ALL correct answers

For a process that can be carried out by either a reversible or an irreversible path, the change in (**P, T, V, q, E, H, w**) must be the same for both paths.

P, T, V, E, H

A reversible process is one that proceeds by a succession of very small incremental steps, all of which are (**at equilibrium, spontaneous, enthalpically and entropically driven**).

At equilibrium

The path which produces the maximum work is (**reversible / irreversible**).

reversible

The heat needed to change the phase of a substance is typically (**smaller / larger**) than the heat needed to increase its temperature by 10 K.

Larger

( **$\Delta H$ ,  $\Delta S$ ,  $\Delta G$ ,  $\Delta E$** ) implies constant pressure.

H, G

H equals the heat transferred to the system under constant (**T, P, V**).

Pressure

An ideal gas expands adiabatically against an external pressure of 2 atm.  $E$  for the system is (**greater than zero / equal to zero / less than zero**).

Less than zero

An ideal gas expands isothermally against an external pressure of 2 atm.  $E$  for the system is (**greater than zero / equal to zero / less than zero**).

Zero

An ideal gas expands adiabatically into a vacuum.  $E$  for the system is (**greater than zero / equal to zero / less than zero**).

Zero

When a sample of liquid is converted reversibly to its vapor at its normal boiling point, (**q, w,  $\Delta P$ ,  $\Delta V$ ,  $\Delta T$ ,  $\Delta E$ ,  $\Delta H$ ,  $\Delta S$ ,  $\Delta G$** ) is equal to zero for the system.

T, G

According to the 2<sup>nd</sup> law of thermodynamics, a spontaneous process, such as a balloon filled with a hot gas cooling to the surroundings at constant pressure, will always occur (**adiabatically, reversibly, irreversibly, without work done**).

Irreversibly

The internal energy of an ideal gas is a function of only (**T / P / V**).

T

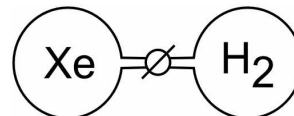
For a sample of an ideal gas, the product PV remains constant as long as (**T / P / V**) is held constant.

T (PV=nRT)

The 2<sup>nd</sup> law of thermodynamics states that the entropy of a (**closed / isolated / isothermal**) system always increases during a (**spontaneous / equilibrium / unfavorable**) process.

isolated

2. (25 points) Two 1 liter containers initially containing, respectively, H<sub>2</sub> and Xe gas, are separated by a valve. Considering the entire assembly to be the system, for each of the system variables below, indicate whether that value will be *less* than zero, *greater* than zero, or *equal* to zero, for the process which accompanies opening of the valve between the containers.



a)

System variable	Circle correct answer	Assumptions/comments
q	< = > 0	=0
w	< = > 0	=0
H	< = > 0	=0
E	< = > 0	=0
S	< = > 0	>0
G	< = > 0	<0

b) Explain in 30 words or less, your answer for E.

The system is the entire assembly. Since the total pressure and the total volume (of the system) do not change,  $T = \frac{PV}{nR}$  does not change. Therefore E does not change

c) Explain in 40 words or less, your answer for S, focusing on the *molecular* explanation – what does it mean?

Although, the pressures don't change, in the original situation each gas was restricted to its own container. Afterwards, the gases have more places to be / ways to arrange themselves. Entropy goes up.

- 3a. (15 points) Calculate  $H$  and  $S$  when 1 mole of  $H_2O$  (g) is cooled irreversibly at constant  $P$  from  $120^\circ\text{C}$  to  $100^\circ\text{C}$ .

$$C = \frac{dq}{dT} \quad H = q_p = \int_{T_1}^{T_2} n\bar{C} dT = n\bar{C} (T_2 - T_1)$$

$$H = (1\text{mole})(33.76 \text{ J K}^{-1} \text{ mol}^{-1})(373\text{K} - 393\text{K}) = -675 \text{ J} = -0.675 \text{ kJ}$$

$$dS = \frac{dq_{rev}}{T} = \frac{CdT}{T} \quad C = \frac{dq}{dT}$$

$$\int_{S_1}^{S_2} dS = \int_{T_1}^{T_2} \frac{C dT}{T} = C \ln \frac{T_2}{T_1}$$

$$S_2 - S_1 = S = n\bar{C} \ln \frac{T_2}{T_1} = (1\text{mole})(33.76 \text{ J K}^{-1} \text{ mol}^{-1}) \ln \frac{373\text{K}}{393\text{K}} = -1.76 \text{ J K}^{-1}$$

- 3b. (15 points) Calculate  $q$ ,  $w$ ,  $E$ ,  $T$ , and the final volume for the reversible, isothermal expansion of 2 moles of an ideal gas from an initial pressure of 1 atm and an initial volume of 1 L, to a final pressure of 0.1 atm.

$$E = 0 \quad (\text{isothermal})$$

$$n_1 = 2 \text{ mole} \quad P_1 = 1 \text{ atm} \quad V_1 = 1 \text{ L} \quad T_1 = \frac{P_1 V_1}{n_1 R} = \frac{(1\text{atm})(1\text{L})}{(2\text{mole})(0.08206 \text{ L atm K}^{-1} \text{ mole}^{-1})} = 6.1 \text{ K}$$

$$n_2 = 2 \text{ mole} \quad T = T_2 = T_1 \quad P_2 = 0.1 \text{ atm}$$

$$V_2 = \frac{n_2 R T_2}{P_2} = \frac{(2\text{mole})(0.08206 \text{ L atm K}^{-1} \text{ mole}^{-1})(6.1\text{K})}{(0.1\text{atm})} = 10.0 \text{ L}$$

$$w = - \int_{V_1}^{V_2} P dV = - \int_{V_1}^{V_2} \frac{n_2 R T}{V} dV = -n_2 R T \int_{V_1}^{V_2} \frac{dV}{V} = -n_2 R T \ln \frac{V_2}{V_1}$$

$$w = -(2 \text{ mol})(8.314 \text{ J K}^{-1} \text{ mol}^{-1})(6.1 \text{ K}) \ln \frac{10.0\text{L}}{1\text{L}} = -233 \text{ J}$$

$$q = -w = 233 \text{ J}$$