Symmetry

yz

xz

xy

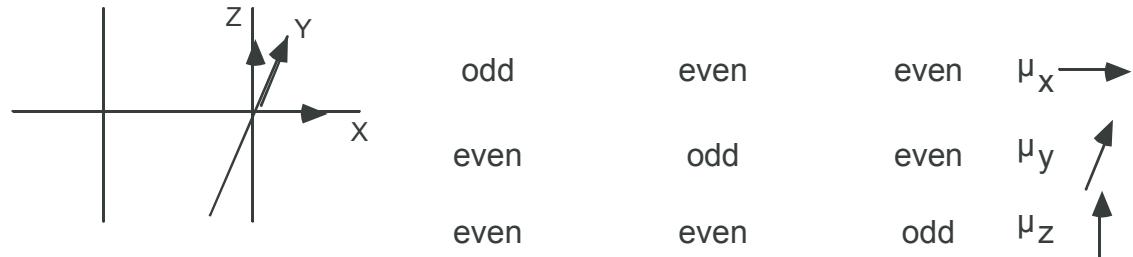
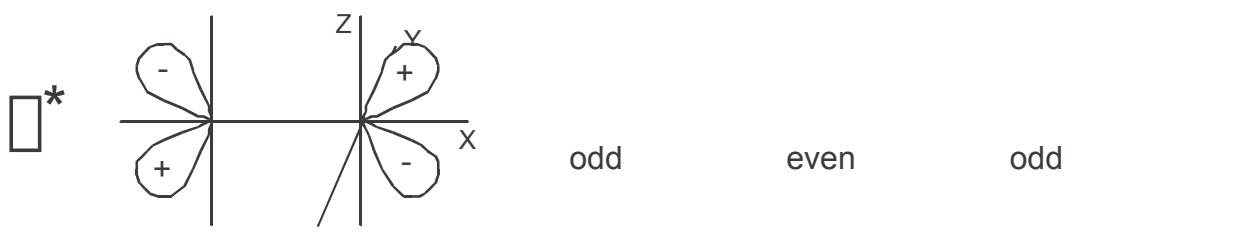
reflected through plane

x

y

z

along axis



$$\langle \square_i | \mu | \square_f \rangle = \langle \square_f | \mu_x | \square_i \rangle + \langle \square_f | \mu_y | \square_i \rangle + \langle \square_f | \mu_z | \square_i \rangle$$

$$[\square_f \mu_x \square_i]_{\partial x \partial y \partial z} + [\square_f \mu_y \square_i]_{\partial x \partial y \partial z} + [\square_f \mu_z \square_i]_{\partial x \partial y \partial z}$$

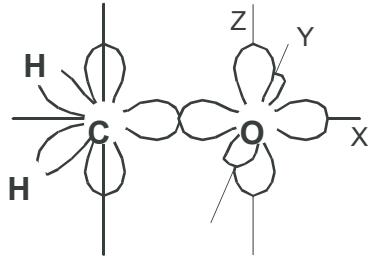
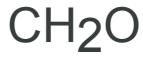
$$\langle \square^* | \mu | \square \rangle = \langle \square^* | \mu_x | \square \rangle + \langle \square^* | \mu_y | \square \rangle + \langle \square^* | \mu_z | \square \rangle$$

$$\begin{aligned} \square \rightarrow \square^* & [(\text{oee})(\text{eee})(\text{ooo})]_{\text{even even even}} + [(\text{oee})(\text{eoo})(\text{ooo})]_{\text{odd odd odd}} + [(\text{oee})(\text{eee})(\text{ooo})]_{\text{even odd odd}} \\ & (\text{non-zero}) \neq 0 \quad (\text{allowed}) \end{aligned}$$

► Example:  
 $[(\text{oee})(\text{eee})(\text{ooo})]$   
 $\square_{\text{oee}} \partial x$   
 $\square_{\text{eee}} \partial y$   
 $\square_{\text{ooo}} \partial z$

$$\langle \square^* | \mu | n \rangle = \langle \square^* | \mu_x | n \rangle + \langle \square^* | \mu_y | n \rangle + \langle \square^* | \mu_z | n \rangle$$

$$\begin{aligned} n \rightarrow \square^* & [(\text{oee})(\text{eoo})(\text{ooo})]_0 + [(\text{oee})(\text{eoo})(\text{ooo})]_{\text{even even odd}} + [(\text{oee})(\text{eoo})(\text{ooo})]_{\text{even odd odd}} \\ & = 0 \quad (\text{forbidden}) \end{aligned}$$

Symmetry

yz

xz

xy

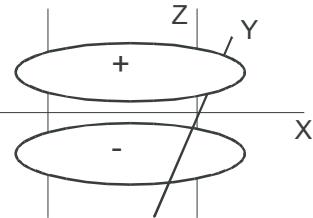
reflected  
through plane

x

y

z

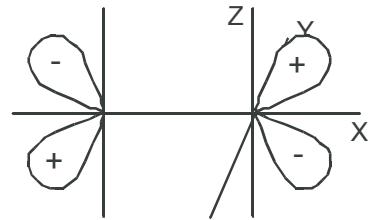
along axis



even

even

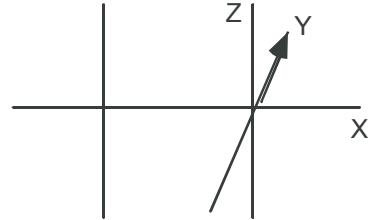
odd



odd

even

odd



even

odd

even

mu\_y

$$\begin{aligned}
 & [(\text{o} \text{ e} \text{ e})_{\text{odd}} \quad (\text{e} \text{ o} \text{ e})_{\text{odd}} \quad (\text{o} \text{ e} \text{o})_{\text{even}}] \\
 & (\square \square \mu_y \square \partial x) (\square \square \mu_y \square \partial y) (\square \square \mu_y \square \partial z) \\
 & (\square \square f \mu_y \square_i \partial x) (\square \square f \mu_y \square_i \partial y) (\square \square f \mu_y \square_i \partial z)
 \end{aligned}$$

$$<\square^* |\mu_y| \square>$$

$$<\square_f |\mu_y| \square_i>$$

$$\square \square f \mu_y \square_i \partial x \partial y \partial z$$