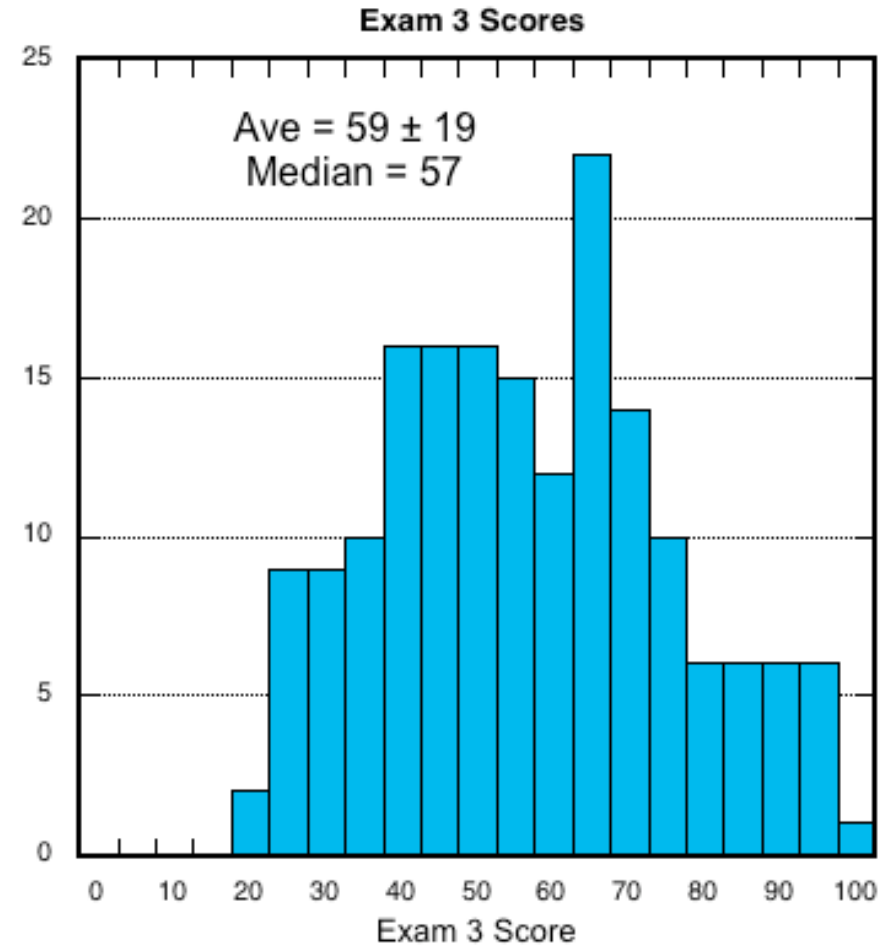


3rd Evening Exam

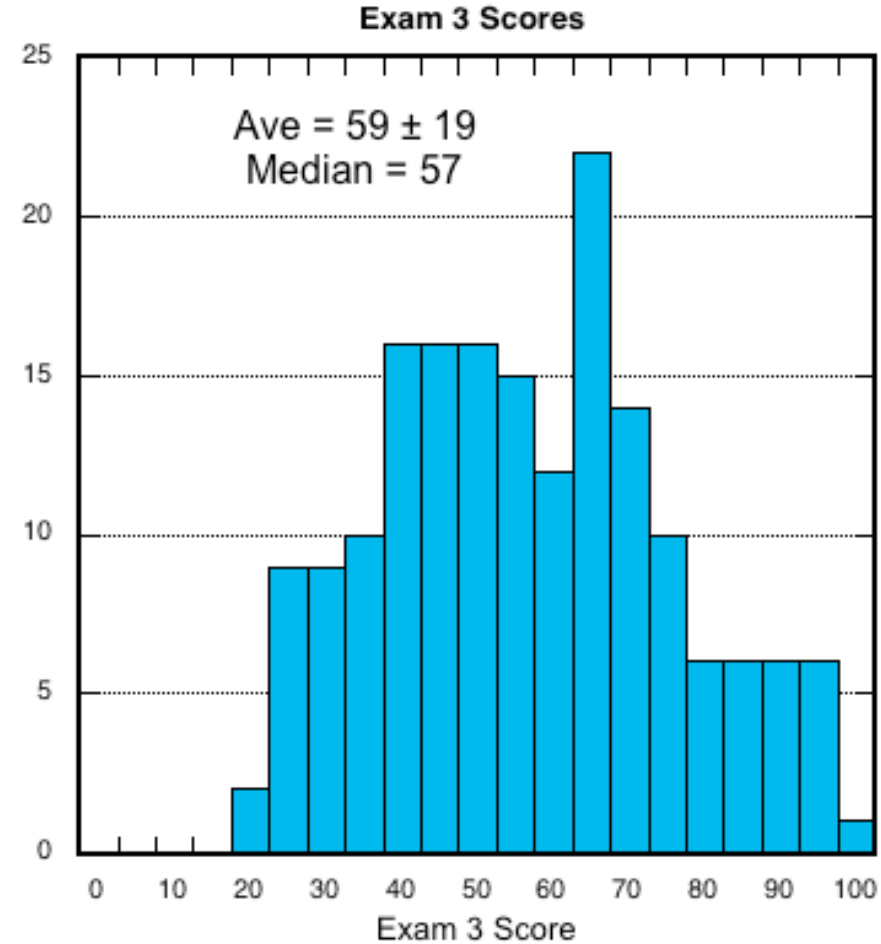
Not what I had hoped for



3rd Evening Exam

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A chance to redeem some points

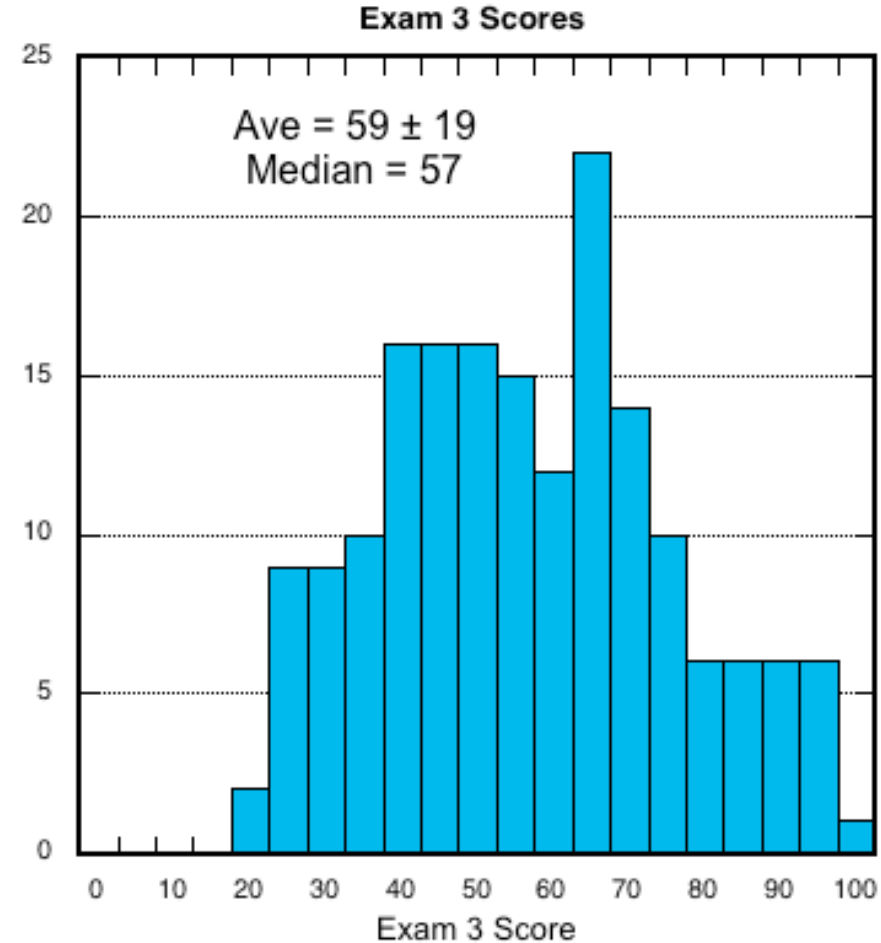


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Wed, Dec 10

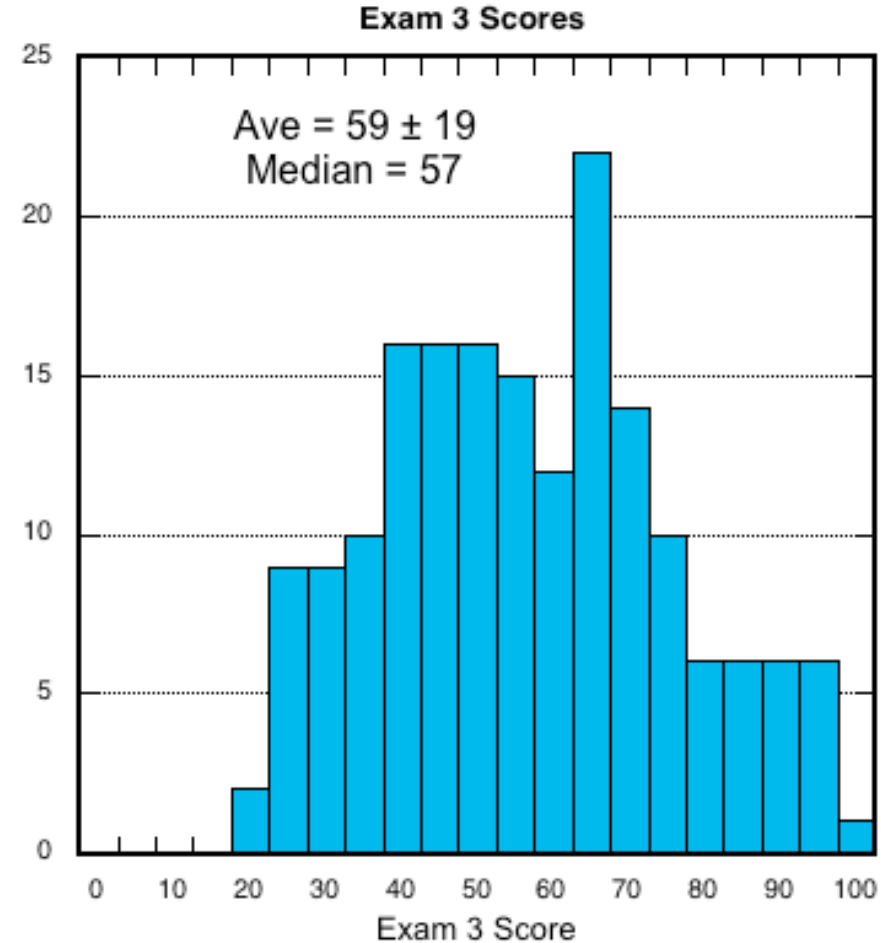


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In class quiz (15 min)



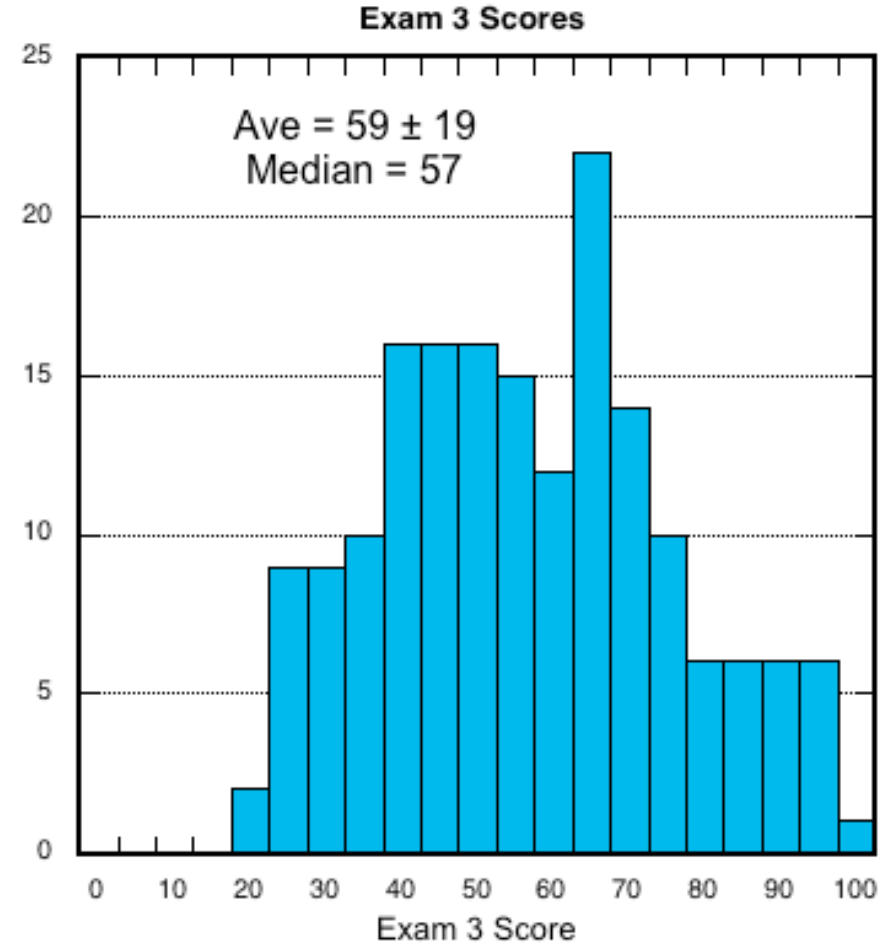
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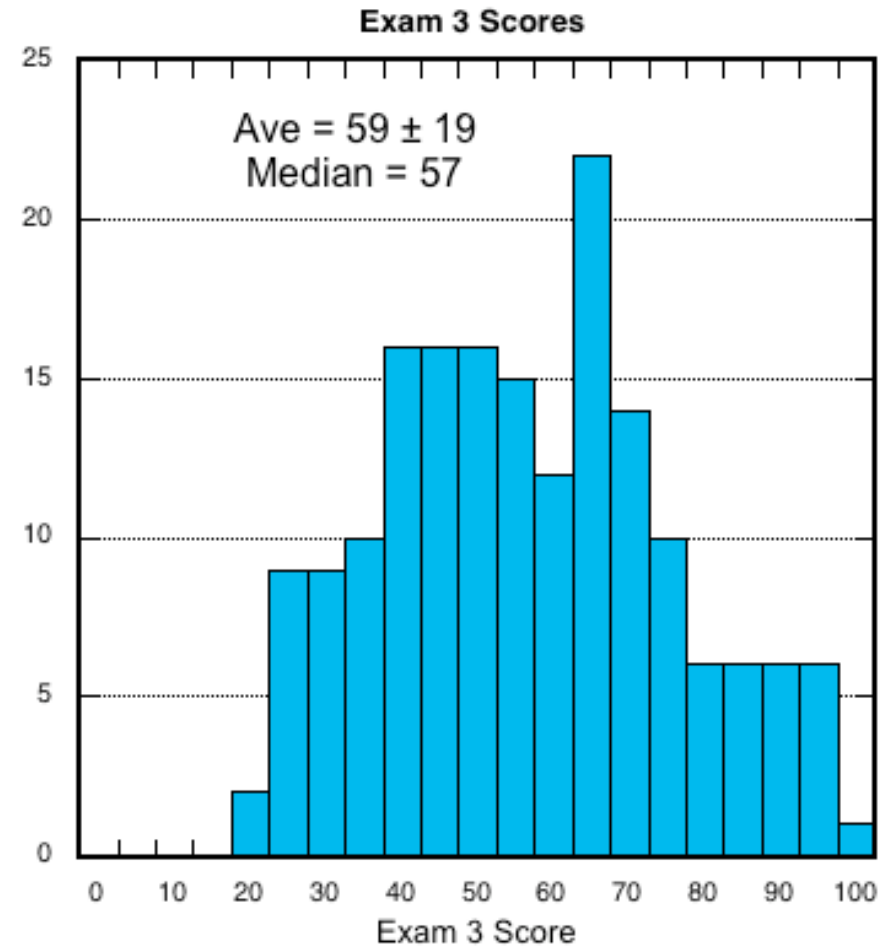
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Can earn up to 20% of the points
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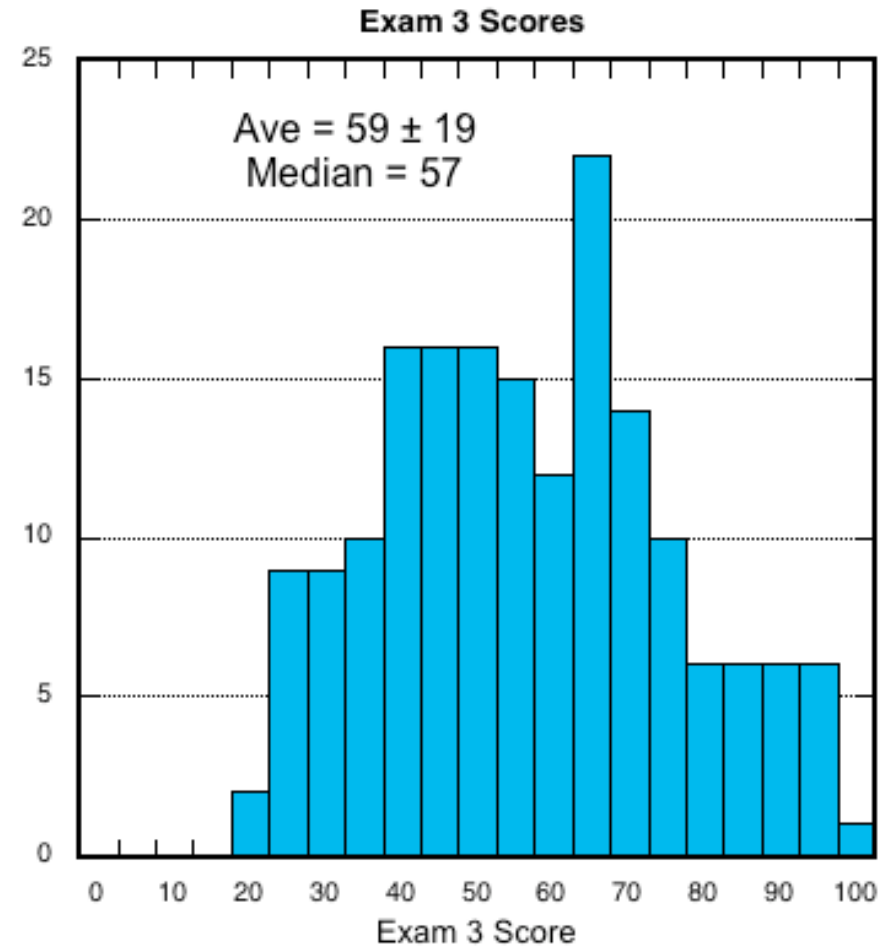
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Go back over what you missed.
Understand the questions!!



Energy- Recap

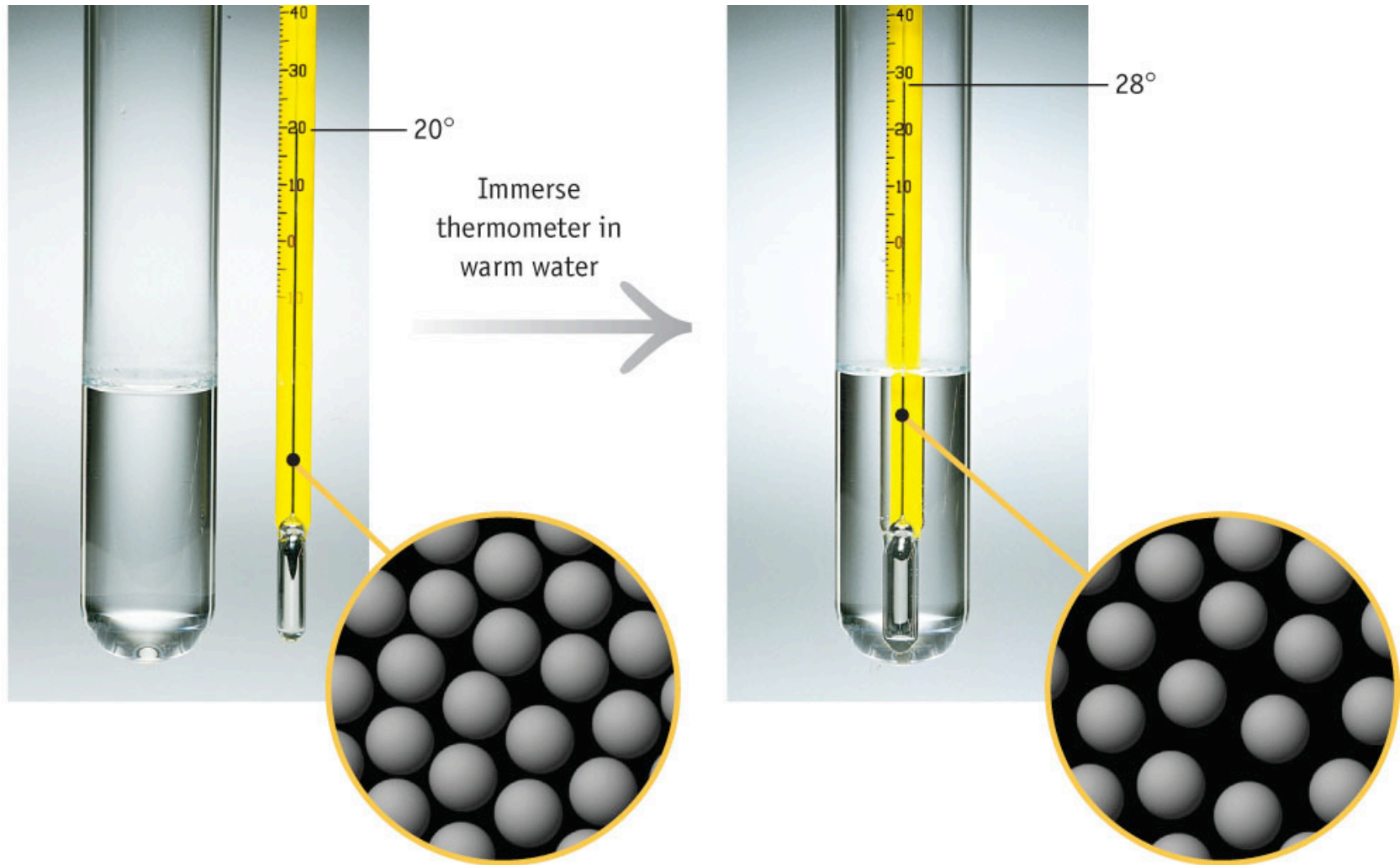
Kinetic: Mechanical – moving car
Thermal – moving molecules
Electrical – moving charge
Sound – moving waves of gas compression and expansion

Potential: Gravitational – the eraser
Chemical – gasoline
Electrostatic – +..- attraction (static E)

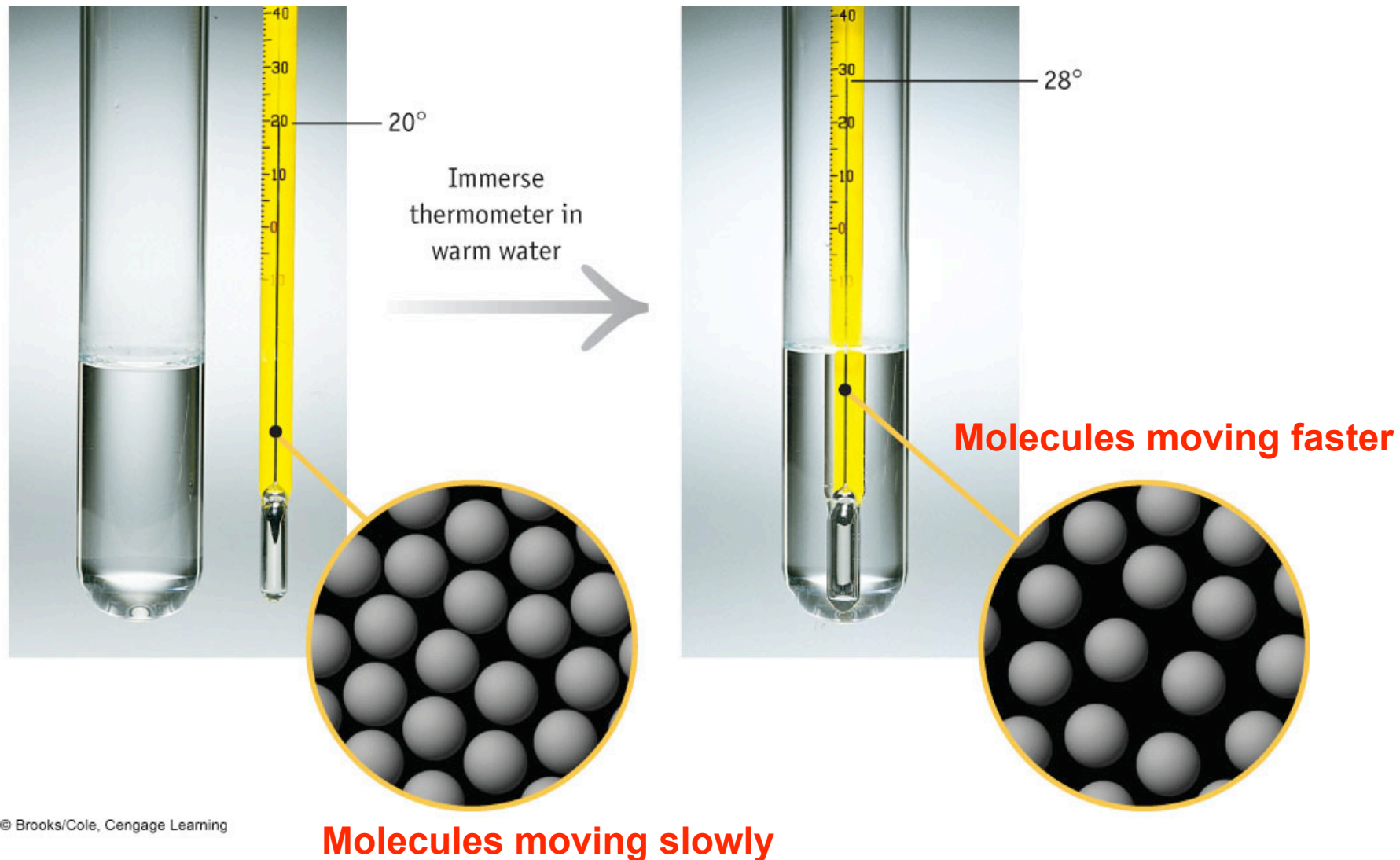
$$1 \text{ cal (calorie)} = 4.184 \text{ J (joules)}$$

$$1 \text{ Cal (Dietary Calorie)} = 1000 \text{ cal (calorie)}$$

Temperature reflects molecular kinetic energy (thermal)



Temperature reflects molecular kinetic energy (thermal)



The absolute temperature scale (Kelvin)

$$T_K = T_C + 273 \qquad T_C = \frac{5}{9}(T_F - 32)$$

What's special about Kelvin?

- 1) He copyrighted the name
- 2) **The scale reflects molecular motion
(0=no motion)**
- 3) Larger numbers reflect better precision

The study of gases

- Little billiard balls with kinetic energy
 - mass and velocity
- Collisions with wall: force on wall
- Add up the collisions: total pressure

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$$P_1V_1 = P_2V_2$$

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$$\frac{P_1V_1}{T_1} = \frac{P_2V_2}{T_2} \quad \text{General Gas Law}$$

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$$\frac{P_1V_1}{T_1} = \frac{P_2V_2}{T_2} \quad \text{General Gas Law}$$

$$V \propto n \quad \text{Avogadro's Hypothesis (ca 1830)}$$

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$$M(\text{CO}_2) = 42 \text{ g mol}^{-1}$$

$$M(\text{N}_2) = 28 \text{ g mol}^{-1}$$

$$M(\text{Ar}) = 40 \text{ g mol}^{-1}$$

$$M(\text{O}_2) = 32 \text{ g mol}^{-1}$$

$$M(\text{Xe}) = 131 \text{ g mol}^{-1}$$

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